

# Combining Argumentation and Hybrid Evolutionary Systems in a Portfolio Construction Application

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**Abstract.** In this paper we present an application for the construction of mutual fund portfolios. It is based on a combination of Intelligent Methods, namely an argumentation based decision making framework and a forecasting algorithm combining Genetic Algorithms (GA), MultiModel Partitioning (MMP) theory and Extended Kalman Filters (EKF). The argumentation framework is employed in order to develop mutual funds performance models and to select a small set of mutual funds, which will compose the final portfolio. The forecasting algorithm is employed in order to forecast the market status (inflating or deflating) for the next investment period. The knowledge engineering approach and application development steps are also discussed.

## 1 INTRODUCTION

Portfolio management [8] is concerned with constructing a portfolio of securities (e.g., stock, bonds, mutual funds [13], etc.) that maximizes the investor's utility. In a previous study [14], we constructed mutual fund (MF) portfolios using an argumentation based decision making framework. We developed rules that characterize the market and different investor types policies using evaluation criteria of fund performance and risk. We also defined strategies for resolving conflicts over these rules. Furthermore, the developed application can be used for a set of different investment policy scenarios and supports the investor/portfolio manager in composing efficient MF portfolios that meet his investment preferences. The traditional portfolio theories ([8], [11], [12]) were based on unidimensional approaches that did not fit to the multidimensional nature of risk ([3]), and they did not capture the complexity presented in the data set. In [14], this troublesome situation was resolved by the high level of adaptability in the decisions of the portfolio manager or investor when his environment is changing and the characteristics of the funds are multidimensional that was demonstrated by the use of argumentation.

Our study showed that when taking into account the market context, the results were better if we could forecast the status of the market of the following investment period. In order to achieve this goal we employed a hybrid system that combines Genetic Algorithms (GA), MultiModel Partitioning (MMP) theory and the Extended Kalman Filter (EKF). A general description of this algorithm and its application in linear and non-linear data is discussed in [2], while the specific version used in this contribution is presented in [1], where its successful application to non-linear data is also presented. This algorithm captured our attention because it had been successfully used in the past for

accurately predicting the evolution of stock values in the Greek market (its application on economic data is presented in [2]). Moreover, there is a lot of work on hybrid evolutionary algorithms and their application on many difficult problems has shown very promising results [4]. The problem of predicting the behavior of the financial market is an open problem and many solutions have been proposed. However, there isn't any known algorithm able to identify effectively all kinds of behaviors. Also, many traditional methods have been applied to the same problem and the results obtained were not very satisfactory. There are two main difficulties in this problem, firstly the search space is huge and, secondly, it comprises of many local optima.

In this contribution, we present the whole application resulting from the combination of argumentation with hybrid evolutionary systems along with the respective results.

The rest of the paper is organized as follows: Section two presents an overview of the concepts and application domain knowledge. Section three outlines the main features of the proposed argumentation based decision-making framework and the developed argumentation theory. The forecasting hybrid evolutionary system is presented in section four, followed by section five, which presents the developed application and discusses the obtained empirical results. Finally, section six summarizes the main findings of this research.

## 2 DOMAIN KNOWLEDGE

This section describes the criteria (or variables) used for creating portfolios and the knowledge on how to use these criteria in order to construct a portfolio.

The data used in this study is provided from the Association of Greek Institutional Investors and consists of daily data of domestic equity mutual funds (MFs) over the period January 2000 to December 2005.

The proposed framework is based on five fundamental variables. The *return of the funds* is the actual value of return of an investment defined by the difference between the nominal return and the rate of inflation. This variable is based on the net price of a fund. At this point, it is very important to mention that transaction costs such as management commission are included in the net price. Frond-end commission and redemption commission fluctuate depending on the MF class and in most cases are very low. The *standard deviation* is used to measure the variability of the fund's daily returns, thus representing the total risk of the fund. The *beta coefficient* ( $\beta$ ) is a measure of fund's risk in relation to the capital risk. The *Sharpe index* [13] is a useful measure of performance and is used to measure the expected return of a fund per unit of risk, defined by the standard deviation. The *Treynor index* [15] is similar to the Sharpe index except that

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performance is measured as the risk premium per unit of systematic (beta coefficient) and not of total risk.

On the basis of the argumentation framework for the selection of a small set of MF, which will compose the final multi-portfolios, the examined funds are clustered in three groups for each criterion for each year. For example, we have funds with high, medium and low performance (return), the same for the other criteria.

The aforementioned performance and risk variables visualize the characteristics of the capital market (bull or bear) and the type of the investor according to his investment policy (aggressive or moderate). Further information is represented through variables that describe the general conditions of the market and the investor policy (selection of portfolios with high performance per unit of risk).

The general conditions of the market are characterized through the development of funds which have high performance levels (high return). Regarding the market context, in a bull market, funds are selected if they have high systematic or total risk. On the other hand, in a bear market, we select funds with low systematic and total risk. An aggressive investor is placing his capital upon funds with high performance and high systematic risk. Accordingly, a moderate investor selects funds with high performance and low or medium systematic risk. Some types of investors select portfolios with high performance per unit of risk. Such portfolios are characterized by high Sharpe ratio and high Treynor ratio.

### 3 ARGUMENTATION-BASED DECISION MAKING

In this section we firstly present the argumentation framework that we used and then we describe the domain knowledge modeling based on the argumentation framework.

#### 3.1 The Argumentation Framework

Autonomous agents, be they artificial or human, need to make decisions under complex preference policies that take into account different factors. In general, these policies have a dynamic nature and are influenced by the particular state of the environment in which the agent finds himself. The agent's decision process needs to be able to synthesize together different aspects of his preference policy and to adapt to new input from the current environment. Such agents are the mutual fund managers.

In order to address requirements like the above, Kakas and Moraitis ([6]) proposed an argumentation based framework to support an agent's self deliberation process for drawing conclusions under a given policy.

Argumentation can be abstractly defined as the principled interaction of different, potentially conflicting arguments, for the sake of arriving at a consistent conclusion (see e.g. [10]). The nature of the "conclusion" can be anything, ranging from a proposition to believe, to a goal to try to achieve, to a value to try to promote. Perhaps the most crucial aspect of argumentation is the interaction between arguments. This means that argumentation can give us means for allowing an agent to reconcile conflicting information within itself, for reconciling its informational state with new perceptions from the environment, and for reconciling conflicting information between multiple agents through

communication. A single agent may use argumentation techniques to perform its individual reasoning because it needs to make decisions under complex preferences policies, in a highly dynamic environment (see e.g. [6]). This is the case used in this research. In the following paragraphs we describe the theoretical framework that we adopted:

*Definition 1.* A **theory** is a pair  $(\mathcal{T}, \mathcal{P})$  whose sentences are formulae in the **background monotonic logic**  $(L, \vdash)$  of the form  $L \leftarrow L_1, \dots, L_n$ , where  $L, L_1, \dots, L_n$  are positive or negative ground literals. For rules in  $\mathcal{P}$  the head  $L$  refers to an (irreflexive) higher priority relation, i.e.  $L$  has the general form  $L = h\_p(\text{rule1}, \text{rule2})$ . The derivability relation,  $\vdash$ , of the background logic is given by the simple inference rule of modus ponens.

An **argument** for a literal  $L$  in a theory  $(\mathcal{T}, \mathcal{P})$  is any subset,  $T$ , of this theory that derives  $L$ ,  $T \vdash L$ , under the background logic. A part of the theory  $\mathcal{T}_0 \subset \mathcal{T}$ , is the **background theory** that is considered as a non defeasible part (the indisputable facts).

An argument attacks (or is a counter argument to) another when they derive a contrary conclusion. These are conflicting arguments. A conflicting argument (from  $\mathcal{T}$ ) is admissible if it counter-attacks all the arguments that attack it. It counter-attacks an argument if it takes along priority arguments (from  $\mathcal{P}$ ) and makes itself at least as strong as the counter-argument (we omit the relevant definitions from [6] due to limited space).

*Definition 2.* An agent's **argumentative policy theory** is a theory  $T = ((\mathcal{T}, \mathcal{T}_0), \mathcal{P}_R, \mathcal{P}_C)$  where  $\mathcal{T}$  contains the **argument** rules in the form of definite Horn logic rules,  $\mathcal{P}_R$  contains **priority** rules which are also definite Horn rules with head  $h\_p(r_1, r_2)$  s.t.  $r_1, r_2 \in \mathcal{T}$  and all rules in  $\mathcal{P}_C$  are also priority rules with head  $h\_p(R_1, R_2)$  s.t.  $R_1, R_2 \in \mathcal{P}_R \cup \mathcal{P}_C$ .  $\mathcal{T}_0$  contains auxiliary rules of the agent's background knowledge.

Thus, in defining the decision maker's theory we specify three levels. The first level ( $\mathcal{T}$ ) defines the (background theory) rules that refer directly to the subject domain, called the *Object-level Decision Rules*. In the second level we have the rules that define priorities over the first level rules for each *role* that the agent can assume or *context* that he can be in (including a *default context*). Finally, the third level rules define priorities over the rules of the previous level (which context is more important) but also over the rules of this level in order to define *specific contexts*, where priorities change again.

#### 3.2 The Decision Maker's Argumentation Theory

Using the presented argumentation framework, we transformed the criteria for all MFs and experts knowledge (§2) to background theory (facts) and rules of the first and second level. Then, we defined the strategies (or specific contexts) in the third level rules.

The goal of the knowledge base is to select some MFs in order to construct our portfolio. Therefore our rules have as their head the predicate *selectFund/1* and its negation. We write rules supporting it or its negation and use argumentation for resolving conflicts. We introduce the *hasInvestPolicy/2*, *preference/1* and *market/1* predicates for defining the different contexts and roles. For example, John, an aggressive investor is expressed with the predicate *hasInvestPolicy(john, aggressive)*.

The knowledge base facts are the performance and risk variables values for each MF, the thresholds for each group of

values for each year and the above mentioned predicates characterizing the investor and the market. The following rules are an example of the object-level rules (level 1 rules of the framework -  $\mathcal{T}$ ):

$$r_1(\text{Fund}): \text{selectFund}(\text{Fund}) \leftarrow \text{highR}(\text{Fund})$$

$$r_2(\text{Fund}): \neg \text{selectFund}(\text{Fund}) \leftarrow \text{highB}(\text{Fund})$$

The *highR* predicate denotes the classification of the MF as a high return fund and the *highB* predicate denotes the classification of the MF as a high risk fund. Thus, the  $r_1$  rule states that a high performance fund should be selected, while the  $r_2$  rule states that a high risk fund should not be selected. Such rules are created for the three groups of our performance and risk criteria.

Then, in the second level we assign priorities over the object level rules. The  $\mathcal{P}_R$  are the *default context rules* or level 2 rules. These rules are added by experts and express their preferences in the form of priorities between the object level rules that should take place within defined contexts and roles. For example, the level 1 rules with signatures  $r_1$  and  $r_2$  are conflicting. In the default context the first one has priority, while the bear market context reverses this priority:

$$R_1: h\_p(r_1(\text{Fund}), r_2(\text{Fund})) \leftarrow \text{true}$$

$$R_2: h\_p(r_2(\text{Fund}), r_1(\text{Fund})) \leftarrow \text{market}(\text{bear})$$

Rule  $R_1$  defines the priorities set for the default context, i.e. an investor selects a fund that has high return on investment (RoI) even if it has high risk. Rule  $R_2$  defines the default context for the bear market context (within which, the fund selection process is cautious and does not select a high RoI fund if it has high risk).

Finally, in  $\mathcal{P}_C$  (level 3 rules) the decision maker defines his strategy and policy for integrating the different roles and contexts rules. When combining the *Aggressive investor* role and *bear market* context, for example, the final portfolio is their union except that the aggressive investor now would accept to select high and medium risk MFs (instead of only high). The decision maker's strategy sets preference rules between the rules of the previous level but also between rules at this level. Relating to the level 2 priorities, the bear market context's priority of not buying a high risk MF, even if it has a high return, is set at higher priority than that of the general context. Then, the specific context of an aggressive investor in a bear market defines that the bear market context preference is inverted. See the relevant priority rules:

$$C_1: h\_p(R_2, R_1) \leftarrow \text{true}$$

$$C_2: h\_p(R_1, R_2) \leftarrow \text{hasInvestPolicy}(\text{Investor}, \text{aggressive}).$$

$$C_3: h\_p(C_2, C_1) \leftarrow \text{true}$$

Thus, an aggressive investor in a bear market context would continue selecting high risk funds. In the latter case, the argument  $r_1$  takes along the priority arguments  $R_1$ ,  $C_2$  and  $C_3$  and becomes stronger (is the only admissible one) than the conflicting  $r_2$  argument that can only take along the  $R_2$  and  $C_1$  priority arguments. Thus, the *selectFund(Fund)* predicate is true and the fund is inserted in the portfolio.

The problem with the above rules is that the facts *market(bear)* or (exclusive) *market(bull)* could not be safely determined for the next investment period. In the application version presented in [14] it was just assumed to remain the same as at the time of the investment. This strategy, however produced quite poor results for this context if it should change in the next period.

## 4 FORECASTING THE STATUS OF THE FINANCIAL MARKET

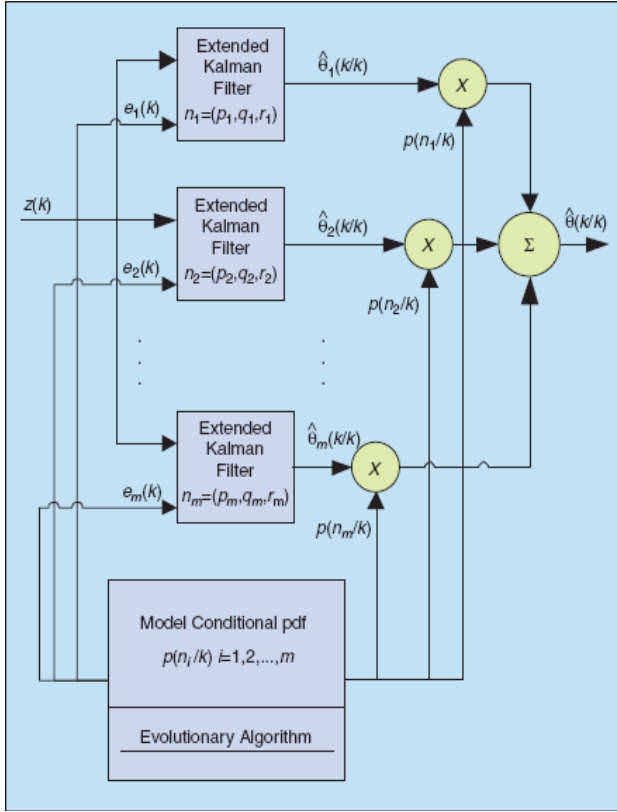
One of the most prominent issues in the field of signal processing is the adaptive filtering problem, with unknown time-invariant or time-varying parameters. Selecting the correct order and estimating the parameters of a system model is a fundamental issue in linear and nonlinear prediction and system identification. The problem of fitting an AutoRegressive Moving Average model with eXogenous input (ARMAX) or a Nonlinear AutoRegressive Moving Average model with eXogenous input (NARMAX) to a given time series has attracted much attention because it arises in a large variety of applications, such as time series prediction in economic and biomedical data, adaptive control, speech analysis and synthesis, neural networks, radar and sonar, fuzzy systems, and wavelets [5].

The forecasting algorithm used in this contribution is a generic applied evolutionary hybrid technique, which combines the effectiveness of adaptive multimodel partitioning filters and GAs' robustness [1]. This method has been first presented in [7]. Specifically, the a posteriori probability that a specific model, of a bank of the conditional models, is the true model, can be used as fitness function for the GA. In this way, the algorithm identifies the true model even in the case where it is not included in the filters' bank. It is clear that the filter's performance is considerably improved through the evolution of the population of the filters' bank, since the algorithm can search the whole parameter space. The proposed hybrid evolutionary algorithm can be applied to linear and nonlinear data; is not restricted to the Gaussian case; does not require any knowledge of the model switching law; is practically implementable, computationally efficient and applicable to online/adaptive operation; and exhibits very satisfactory performance as indicated by simulation experiments [2]. The structure of the hybrid evolutionary system used is depicted in Figure 1.

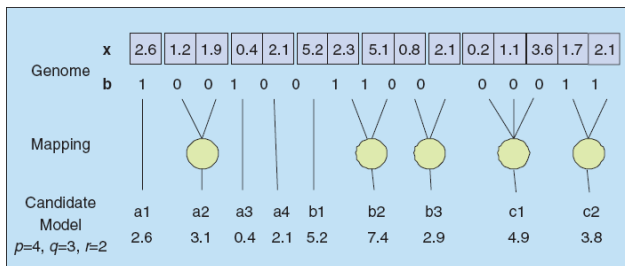
The representation used for the genomes of the population of the GA is the following. We use a mapping that transforms a fixed dimensional internal representation to variable dimensional problem instances. Each genome consists of a vector  $\mathbf{x}$  of real values  $x_i \in \mathcal{R}$ ,  $i = 1, \dots, k$ , and a bit string  $\mathbf{b}$  of binary digits  $b_i \in \{0, 1\}$ ,  $i = 1, \dots, k$ . Real values are summed up as long as the corresponding bits are equal. Obviously,  $k$  is an upper bound for the dimension of the resulting parameter vector. We use the first  $k/3$  real values for the autoregressive part, the second  $k/3$  real values for the moving average part, and the last  $k/3$  real values for the exogenous input part. An example of this mapping is presented in Figure 2. For a more detailed description of this mapping refer to [2].

At first, an initial population of  $m$  genomes is created at random (each genome consists of a vector of real values and a bit string). As stated before, each vector of real values represents a possible value of the NARMAX model order and its parameters. For each such population we apply an MMAF with EKFs and

have as result the model-conditional probability density function (pdf) of each candidate model. This pdf is the fitness of each candidate model, namely the fitness of each genome of the population (Figure 3).



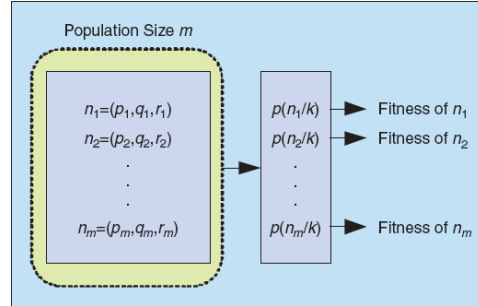
**Figure 1: The structure of the hybrid evolutionary system used for forecasting**



**Figure 2: Mapping from a fixed dimensional internal representation to a variable length NARMAX parameter vector. The resulting order is  $n(p, q, r) = (4, 3, 2)$ .**

The reproduction operator we decided to use is the classic biased roulette wheel selection according to the fitness function value of each possible model order [9]. As far as crossover is concerned, we use the one-point crossover operator for the binary strings and the uniform crossover operator for the real values [9]. Finally, we use the flip mutation operator for the binary strings and the Gaussian mutation operator for the real values [9]. Every new generation of possible solutions iterates the same process as the old ones and all this process may be repeated as many generations as we desire or till the fitness function has value 1

(one) which is the maximum value it is able to have as a probability. For a more detailed description of this hybrid evolutionary system refer to [2].



**Figure 3: The fitness of each candidate model is the model conditional pdf (m is the number of the extended Kalman filters in the multimodel adaptive filter)**

In this contribution we apply a slightly different approach compared to the one presented in [2]. In [2], at the algorithm's step where the value of the estimation (output)  $x$  of each filter is calculated, the past values of  $x$  that are used in order to estimate the next value of  $x$  are always taken from the estimation file (the file of all past values of  $x$  that have been estimated by the algorithm till this point). All these values are used in each generation in order to estimate the next value of the estimation (output) vector  $x$ . The method presented in this contribution uses a different approach in order to estimate  $x$ . At the algorithm's step where the value of  $x$  for each filter is calculated, the past values of  $x$  that are used in order to estimate the next value of  $x$  are smaller than the total length of the time series that has been estimated till this point. The length of past values used in each generation in order to estimate the next value of  $x$  equals to  $n/2$ , where  $n$  is the total length of the time series to be estimated. Every new value of  $x$ , estimated by the algorithm, is added to this time series of length  $n/2$  and the oldest one is removed in order this time series to sustain a length of  $n/2$ . The value of  $n/2$  was not selected arbitrarily. We have conducted exhaustive experiments using many different values. The value of  $n/2$ , that has been finally selected, was the most effective one, that is, the one that resulted in the best prediction results.

Thus, the hybrid evolutionary system presented in Figure 1 is used in order to forecast the behavior of the financial market in relation to its current status. The market is characterized as bull market if it is forecasted to rise in the next semester, or as bear market if it is forecasted to fall. We used the return values of the Greek market index for each semester starting from year 1985 to the years of our sample data (2000 to 2005). The algorithm performed very well considering that it could forecast the next semester market behavior with a success rate of 85.17% (12 out of 14 right predictions).

## 5 THE PORTFOLIO CONSTRUCTION APPLICATION

In this section we firstly present the system architecture, i.e. the combination method for the argumentation decision making sub-system and the hybrid forecasting sub-system that resulted in a

coherent application. Then we present the results of this combination.

### 5.1 System Architecture

The portfolio generation application is a Java program creating a human-machine interface and managing its modules, namely the decision making module, which is a prolog rule base (executed in SWI-prolog<sup>1</sup>) using the Gorgias<sup>2</sup> framework, and the forecasting module, which is a Matlab<sup>3</sup> implementation of the forecasting hybrid system (see Figure 4).

The application connects to the SWI-Prolog module using the provided Java interface (JPL) that allows for inserting facts to an existing rule-base and running it for reaching goals. The goals can be captured and returned to the Java program. The application connects to Matlab by executing it in a system shell. The matlab program writes the results of the algorithm to a MySQL<sup>4</sup> database using SQL (Structured Query Language). The application first executes the forecasting module, then updates the database, using JDBC (Java DataBase Connectivity interface) technology, with the investor profile (selected roles) and, finally, queries the decision making module setting as goal the funds to select for participation in the final portfolio. Thus, after the execution of the forecasting module the predicate *market/I* is determined as bull or bear and inserted as a fact in the rule base before the decision making process is launched. The reader can see in Figure 5 a screenshot of the integrated system.

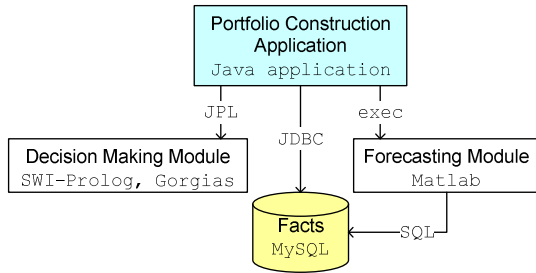


Figure 4: System Architecture

### 5.2 System Evaluation

For evaluating our results we defined scenarios for all years for which we had available data (2000-2005) and for all combinations of contexts. That resulted to the two investor types combined with the market status, plus the two investor types combined with the high performance option, plus the market status combined with the high performance option, all together five different scenarios run for six years each. Each one of the examined scenarios refers

to different investment choices and leads to the selection of different number and combinations of MFs.

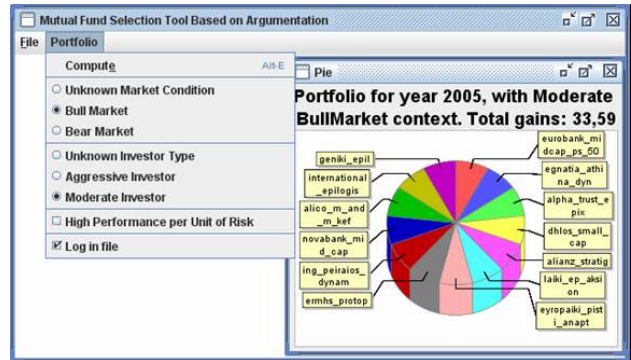


Figure 5: A screenshot for portfolio generation for a scenario of a moderate investor in a bull market context

In Table 1 the reader can inspect the average *return on investment* (RoI) for the six years for all different contexts. The reader should notice that the table contains two RoI columns, the first (“Previous RoI”) depicts the results before changing the system as they appeared in [14]. The second presents the results of upgrading the application by combining it with the hybrid evolutionary forecasting sub-system and by fixing the selected funds participation to the final portfolio. The latter modification is out of the scope of this paper but the reader can clearly see that it has greatly influenced the performance of all scenarios.

Table 1, however, shows the added value of this contribution as the market context has become the most profitable in the “New RoI” column (8.17% RoI), while in the “Previous RoI” column it was one of the worst cases (3.72% RoI). Consequently the specific contexts containing the market context have better results.

Table 1: Average RoI for six years. The New RoI column shows the gains after the evolutionary hybrid forecasting system’s integration

Context type	Context	Previous RoI (%)	New RoI (%)
simple	general	3.53	6.86
role	aggressive	2.65	7.38
role	moderate	4.02	6.09
<b>context</b>	<b>market</b>	<b>3.72</b>	<b>8.17</b>
role	high performance	4.98	7.16
specific context	aggressive – market	3.56	7.92
specific context	moderate – market	4.72	6.08
specific context	aggressive - high p.	4.88	7.46
specific context	moderate - high p.	4.98	7.16
specific context	Market - high perf.	4.59	7.23
ASE-GI	RASE	6.75	

Moreover, Table 1 also shows the added value of our approach as the reader can compare our results with the return on investment (RASE) of the General Index of the Athens Stock Exchange (ASE-GI). According to the results of this table, the average return of the constructed portfolios for all contexts, except two, achieves higher return than the market index. The two cases where the constructed portfolios did not beat the market index are the moderate simple context and moderate-market specific

<sup>1</sup> SWI-Prolog offers a comprehensive Free Software Prolog environment, <http://www.swi-prolog.org>  
<sup>2</sup> Gorgias is an open source general argumentation framework that combines the ideas of preference reasoning and abduction, <http://www.cs.ucy.ac.cy/~nkd/gorgias/>  
<sup>3</sup> MATLAB® is a high-level language and interactive environment for performing computationally intensive tasks, <http://www.mathworks.com/products/matlab>  
<sup>4</sup> MySQL is an open source database, <http://www.mysql.com>

context. This is, maybe, due to the fact that in these two contexts we have an investor who wishes to earn more without taking into account any amount of risk in relation to the variability which characterizes the conditions of the market during the examined period. This fact makes it very difficult to implement investment strategies that can help a fund manager outperform a passive investment policy.

Furthermore, we notice that in some specific contexts the results are more satisfying than the results obtained by simple contexts, while in others there is little or no difference. This means that by using effective strategies in the third preference rules layer the decision maker can optimize the combined contexts. Specifically, the *aggressive-high performance* specific context provides better results than both the simple contexts *aggressive* and *high performance* (the ones that it combines) and the *general* context. The *moderate-high performance* specific context's returns on investment are equal to the higher simple context's returns (*high performance*) while the *aggressive-market* specific context returns are closer to the higher simple context's returns (*market*).

Finally, in Figure 6, we present the RoI of all contexts separately for each year. This view is also useful, as it shows that for two years, 2003 and 2004, RASE was greater than all our contexts RoI performance. This shows that our application, for the time being, performs better for medium term to long term investments, i.e. those that range over five years.

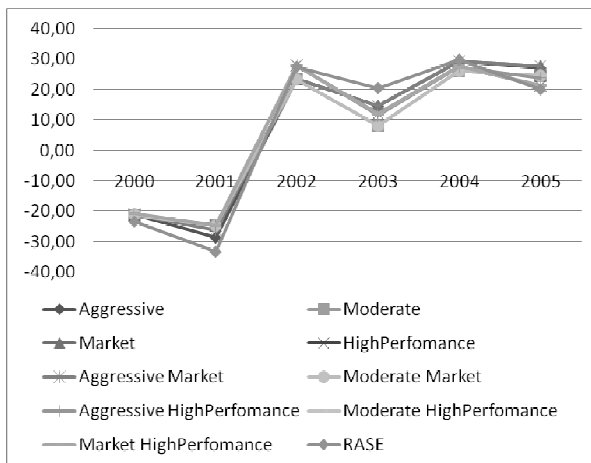


Figure 6: Comparative RoIs of all contexts for each year.

## 6 CONCLUSION

The objective of this paper was to present an artificial intelligence based application for the MF portfolio generation problem that combines two different intelligent methods, argumentation based decision making and a hybrid system that combines Genetic Algorithms (GA), MultiModel Partitioning (MMP) theory and the Extended Kalman Filter (EKF).

We described in detail how we developed our argumentation theory and how we combined it with the hybrid system to determine an important fact for the decision making process, i.e. the status of the financial market in the next investment period.

The developed application allows a decision maker (fund manager) to construct multi-portfolios of MFs under different, possibly conflicting contexts. Moreover, for medium to long term investments, the returns on investment of the constructed portfolios are better than those of the General Index of the Athens Stock Exchange, while the best results are those that involve the forecasting of the financial market.

Our future work will be to develop a new rule base for the problem of determining when to construct a new portfolio for a specific investor. We will also make the application web-based so that it can get on-line financial data available from the internet for computing the decision variables and for allowing the investors to insert their profiles by filling on-line forms. Finally, we will continue evaluating our application as new data become available for years after 2005. Our aim is to be able to guarantee a better RoI than that of the ASE.

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